

## Lesson 11-7 Mixed Angles Practice

### AGENDA:

- Check & Review Homework 11-6
- Warm Up & Fill in Graphic Organizer (Blue)
- Practice Problem
- Quiz
- Work independently on the rest of the problems

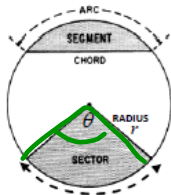
### HOMWORK:

- Finish the problems as worksheet 11-7

INTERIMS  
FRI

11-4

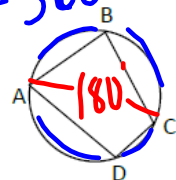
### Central Angle Proportions: Sector Area / Arc Length / Radian Measure



Sector Area	Arc Length	Radian Measure
$\frac{\theta^\circ}{360^\circ} = \frac{\text{SECTOR AREA}}{\text{AREA}}$	$\frac{\theta^\circ}{360^\circ} = \frac{\text{ARCLength}}{\text{CIRCUMF}}$	$\frac{\theta^\circ}{360^\circ} = \frac{\theta \text{ RADIANS}}{2\pi \text{ RADIANS}}$

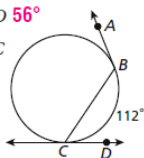
### Other Geometric Relationships in a Circle:

- Arc Addition Postulate: Example  $m\widehat{AB} + m\widehat{BC} + m\widehat{CD} + m\widehat{DA} = 360^\circ$
- In an inscribed quadrilateral in a  $\odot$ , opposite  $\sphericalangle$ 's are SUPPLEMENTARY.  
Example:  $m\angle A + m\angle C = 180^\circ$

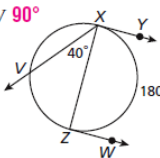


Homework 11-5 P. 787 #16-20,23,24,25,27,28,31-33

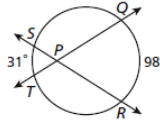
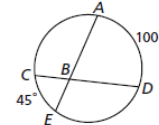
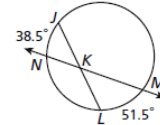
16.  $m\angle BCD = 56^\circ$   
 17.  $m\angle ABC = 124^\circ$



18.  $m\angle XZW = 90^\circ$   
 19.  $m\widehat{XZV} = 260^\circ$

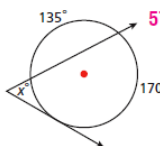
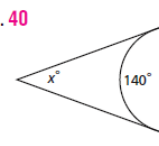
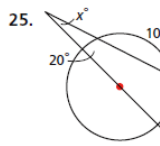


20.  $m\angle QPR = 64.5^\circ$   
 21.  $m\angle ABC = 107.5^\circ$   
 22.  $m\angle MKJ = 135^\circ$

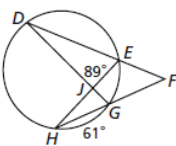




Find the value of  $x$ .

23.  $135^\circ$   $57.5$   
 24.  $40$   
 25.  $x^\circ$   $104^\circ$   $18$

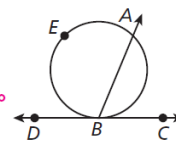




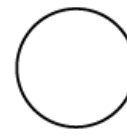
27.  $m\widehat{EG} = 45^\circ$   
 28.  $m\widehat{DE} = 117^\circ$



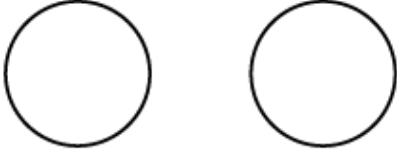
In the diagram,  $m\angle ABC = x^\circ$ . Write an expression in terms of  $x$  for each of the following.


31.  $m\widehat{AB} = 2x^\circ$   
 32.  $m\angle ABD = (180 - x)^\circ$   
 33.  $m\widehat{AEB} = (360 - 2x)^\circ$



Angle and arc Relationships	Outside circle
Example	
$\sphericalangle$ Name	
$\sphericalangle$ rays are	
Measurements relationship	$m\angle = \frac{1}{2}(m_{large} - m_{small})$ Angle measure = $\frac{1}{2}$ difference of arcs

\*Graphic Organizer (front)\*

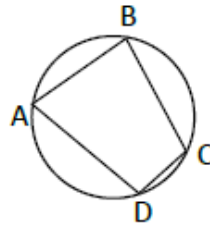
∠ Vertex is located:		
	On circle	Inside circle
∠ Name		
∠ rays are	Chords/secants/(1 tangent) sharing an endpoint	
Measurements relationship	Interior	

	Center of circle
∠ Name	
∠ rays are	
Measurements relationship	

\*Graphic Organizer  
(front)\*

In an inscribed quadrilateral in a  $\odot$ , opposite  $\sphericalangle$ 's are \_\_\_\_\_.

Example: \_\_\_\_\_



\*Graphic Organizer (back)\*

<i>Inscribed Angles</i>	<ul style="list-style-type: none"> <li>If an <math>\sphericalangle</math> is inscribed in a semi circle <math>\rightarrow</math> it is a right <math>\sphericalangle</math></li> </ul>	
	<ul style="list-style-type: none"> <li>If two inscribed <math>\sphericalangle</math>'s intercept the same arc <math>\rightarrow</math> the <math>\sphericalangle</math>'s are <math>\cong</math></li> </ul>	
	<ul style="list-style-type: none"> <li>If two inscribed <math>\sphericalangle</math>'s intercept <math>\cong</math> arcs <math>\rightarrow</math> the <math>\sphericalangle</math>'s are <math>\cong</math></li> </ul>	
	<ul style="list-style-type: none"> <li>If a quadrilateral is inscribed in a circle <math>\rightarrow</math> Opposite <math>\sphericalangle</math>'s are supplementary</li> </ul>	

• Be sure your Graphic Organizer is complete for Angle-Arc Relationships.

Try the following, finding the measures of all numbered angles. Lines that appear to be tangents and chords that appear to be diameters are.

ARC ADD:  $360^\circ - (36^\circ + 36^\circ + 90^\circ + 56^\circ)$

Example:  $18^\circ = \frac{1}{2}x$   
 $36^\circ = x$   
 $28^\circ = \frac{1}{2}y$   
 $56^\circ = y$

INScribed  $m\angle 1 = \frac{1}{2} 72^\circ$   
 $m\angle 1 = 36^\circ$

$m\angle 2 = \frac{1}{2} 142^\circ$   
 $m\angle 2 = 71^\circ$

$\angle 3$  INTERIOR  
 $m\angle 3 = \frac{1}{2} (178^\circ + 90^\circ)$  OR  $\Delta$  SUM w/ VERTICAL  $\angle$   
 $= \frac{1}{2} (268^\circ) = 134^\circ = m\angle 3$

INScribed  $m\angle 4 = \frac{1}{2} 178^\circ$   
 $m\angle 4 = 89^\circ$

INScribed  $m\angle 5 = \frac{1}{2} y$   
 $= \frac{1}{2} (56^\circ)$   
 $m\angle 5 = 28^\circ$

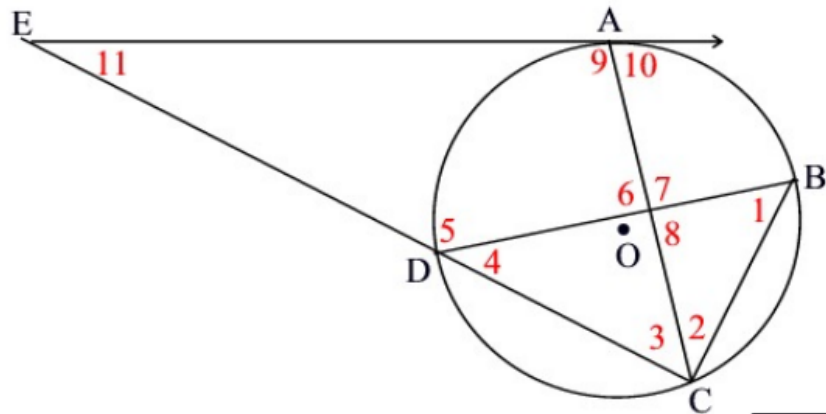
Practice:

EXTERIOR:  
 $m\angle 1 = \frac{1}{2} (204^\circ - 78^\circ)$   
 $= \frac{1}{2} (126^\circ)$   
 $m\angle 1 = 63^\circ$

$360^\circ - (180^\circ + 78^\circ + 78^\circ)$   
 $24^\circ = x$

Circle O with no diameters shown.  $\overrightarrow{EA}$  is tangent at point A.

$$m\widehat{AB} : m\widehat{BC} : m\widehat{CD} : m\widehat{DA} = 3 : 3 : 4 : 5$$



- $m\angle 1$  \_\_\_\_\_
- $m\angle 2$  \_\_\_\_\_
- $m\angle 3$  \_\_\_\_\_
- $m\angle 4$  \_\_\_\_\_
- $m\angle 5$  \_\_\_\_\_
- $m\angle 6$  \_\_\_\_\_
- $m\angle 7$  \_\_\_\_\_
- $m\angle 8$  \_\_\_\_\_
- $m\angle 9$  \_\_\_\_\_
- $m\angle 10$  \_\_\_\_\_
- $m\angle 11$  \_\_\_\_\_