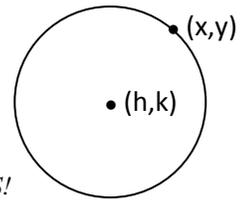


## Geometry Unit 11 Graphic Organizer: Circles



### Equations of Circles

The equation for a circle with a center (h, k) is: \_\_\_\_\_ *May need CTS!*

#### Circle Equation → Graph:

1. \_\_\_\_\_
2. \_\_\_\_\_
3. \_\_\_\_\_
4. \_\_\_\_\_

#### Given Diameter Endpoints → Equation or Graph

1. Calculate center using \_\_\_\_\_ formula
2. Calculate radius using \_\_\_\_\_ formula w/cntr & pt
3. Equation: Plug in center and radius; simplify as needed  
Graph: Plot center, count  $r$  to plot 4 pts, connect pts w/arcs

*Remember to label your graph and check graphs/equations with a test point*

### Angle and arc Relationships

	∠ Vertex is located:			
	Outside circle	On circle	Inside circle	Center of circle
Example				
∠ Name			Interior	
∠ rays are		Chords/secants/(1 tangent) sharing an endpoint		
Measurements relationship	$m\angle = \frac{1}{2}(m_{large} - m_{small})$ Angle measure = $\frac{1}{2}$ difference of arcs			

### Segment-Segment Relationships

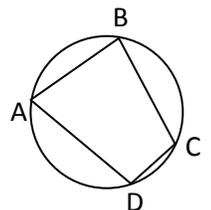
	Same External Point:			Same Internal Pt: Chord-Chord
	2 Tangents	Secant – Tangent	Secant - Secant	
Example				
Algebraic Equation	Tangent segment <sub>1</sub> = Tangent segment <sub>2</sub>			
Derived from			Similar Triangles (AA~)	

### Central Angle Proportions: Sector Area / Arc Length / Radian Measure

	<u>Sector Area</u>	<u>Arc Length</u>	<u>Radian Measure</u>
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### Other Geometric Relationships in a Circle:

- Arc Addition Postulate: Example \_\_\_\_\_
- In an inscribed quadrilateral in a  $\odot$ , opposite  $\angle$ 's are \_\_\_\_\_.  
Example: \_\_\_\_\_



### Applications of Circle Properties / Common Reasons in Proofs

<i>Arcs and Chords</i>	<ul style="list-style-type: none"> <li>• <math>\cong</math> central angles have <math>\cong</math> chords</li> </ul>	} One $\odot$ or 2 $\cong \odot$ 's	
	<ul style="list-style-type: none"> <li>• <math>\cong</math> chords have <math>\cong</math> arcs</li> </ul>		
	<ul style="list-style-type: none"> <li>• <math>\cong</math> arcs have <math>\cong</math> central angles</li> </ul>		
	<ul style="list-style-type: none"> <li>• If a radius (or diameter) is <math>\perp</math> to a chord <math>\rightarrow</math> it bisects the chord and the arc</li> </ul>		
	<ul style="list-style-type: none"> <li>• Parallel chords intercept congruent arcs</li> </ul>		
<i>Radii and Tangents</i>	<ul style="list-style-type: none"> <li>• In a circle all radii are <math>\cong</math></li> </ul>		
	<ul style="list-style-type: none"> <li>• A tangent is <math>\perp</math> to the radius at the point of tangency</li> </ul>		
	<ul style="list-style-type: none"> <li>• 2 segments tangent to circle from the same external point <math>\rightarrow</math> tangent segments <math>\cong</math></li> </ul>		
<i>Inscribed Angles</i>	<ul style="list-style-type: none"> <li>• If an <math>\sphericalangle</math> is inscribed in a semi circle <math>\rightarrow</math> it is a right <math>\sphericalangle</math></li> </ul>		
	<ul style="list-style-type: none"> <li>• If two inscribed <math>\sphericalangle</math>'s intercept the same arc <math>\rightarrow</math> the <math>\sphericalangle</math>'s are <math>\cong</math></li> </ul>		
	<ul style="list-style-type: none"> <li>• If two inscribed <math>\sphericalangle</math>'s intercept <math>\cong</math> arcs <math>\rightarrow</math> the <math>\sphericalangle</math>'s are <math>\cong</math></li> </ul>		
	<ul style="list-style-type: none"> <li>• If a quadrilateral is inscribed in a circle <math>\rightarrow</math> Opposite <math>\sphericalangle</math>'s are supplementary</li> </ul>		

